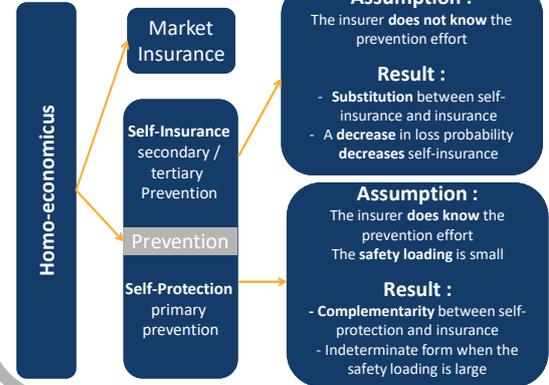


How can an insurer use nudge to increase the participation in a prevention program ?

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Motivation ?

Ehrlich Becker (1972) :



Thaler Sunstein (2009) : Nudge

How to increase involvement to a plan ?
→ Incentives

Which incentives for an insurance company ?

- Gift
- Money (**premium**)

Problem : what is free is then worthless

Nudge → Presenting the **same thing** in a **different design** may produce different results . How to **present the incentive** ?

Different **behavioural bias** to deal with :

- Loss aversion
- Law of small numbers
- Dynamic inconsistency

Reference

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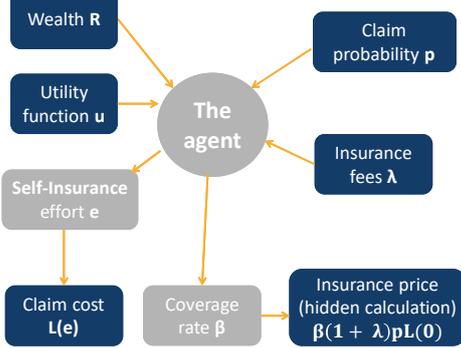
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Model

Agent modelling:



Model 1 : benchmark

The agent can subscribe by himself to a sports club.

- Agent monetary cost : c
- Psychologic cost : $C(e)$
- e models the physical effort
- In every models, the agent **doesn't know** how is calculated the insurance premium

The agent maximizes $E(u)$:

$$p[u(R - C(e) - c - \beta(1 + \lambda)pL - (1 - \beta)L(e))] + (1 - p)[u(R - C(e) - c - \beta(1 + \lambda)pL)]$$

We can compute e^* and β^* theoretically

Model 2 : insurance pays all

The agent can ask his insurance to subscribe to a sports club.

- Agent monetary cost : 0
- Psychologic cost : $C(e)$
- Insurance cover all the financial cost
- c is **not included** into the premium

The agent maximizes $E(u)$:

$$p[u(R - C(e) - \beta(1 + \lambda)pL - (1 - \beta)L(e))] + (1 - p)[u(R - C(e) - \beta(1 + \lambda)pL)]$$

- If the agent is rational, he does the **same choice** as in the model 1
- We expect e to change in practice

Model 3 : prevention is a benefit

The agent can ask his insurance to subscribe to a sports club.

- Agent monetary cost : $(1 - \beta)c$
- Psychologic cost : $C(e)$
- Insurance refunds βc
- This cost is **included** into the premium

The agent maximizes $E(u)$:

$$p[u(R - C(e) - (\beta(1 + \lambda)pL + \beta c) - (1 - \beta)L(e) + c)] + (1 - p)[u(R - C(e) - (1 - \beta)c - \beta(1 + \lambda)pL + \beta c)]$$

- If the agent is rational, he does the **same choice** as in the model 1
- We expect e to change in practice

Experimentation

Process

Controls :

Holt and Laurie test

- For the gain
- For the loss

Probability perception

Change between periods:

$p, L(0), \beta$

First step :

- We inform the subject of the risk he is facing
- He is told that he has paid an amount c to play a game
- He knows the rules of the game, and the effect on the risk he is facing
- We ask him to **choose an insurance contract** between 5 contracts

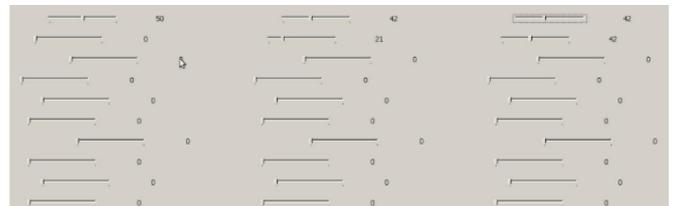
Second step :

He has chosen a contract

We let him play the game

Thus, given a β , we can watch the associated self insurance effort.

The game: slide task



Expected results

- Which model will imply the biggest prevention effort ?
- Will the measured effort be consistent with the theoretical prediction ?
- Are self-insurance and insurance substitutable ?
- Are the effects of loss probability and loss amount the same as the effect predicted by Ehrlich and Becker ?
- What is the impact of the probability perception ?

3 treatments, 120 participants

Experiment : 8 periods + 2 training periods, around 45 min